#### Information Depth Estimation for Electron Yield and Fluorescent XAFS Measurement Methods

#### **SANYO Electric Co., Ltd.** Materials and Devices Development Center BU

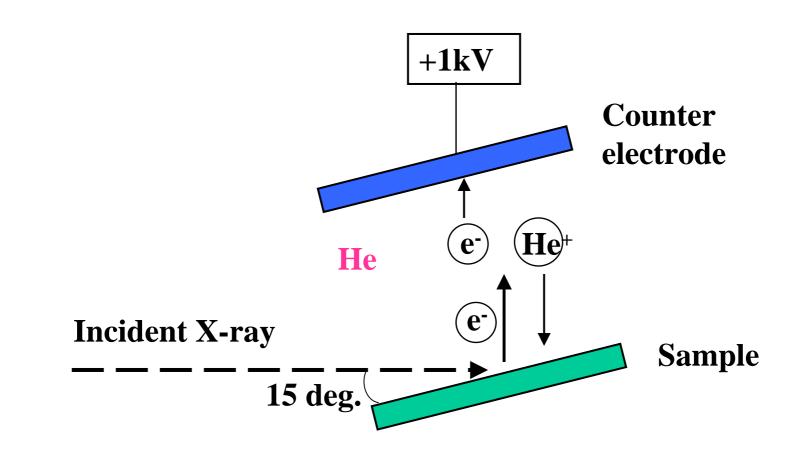
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[Purpose] XAFS analysis of thin film materials is frequently required in industrial use of SR.
 Electron yield (EY) and fluorescent yield (FY) methods are applied to examine thin film materials.
 It is necessary to know the information depth of those methods.

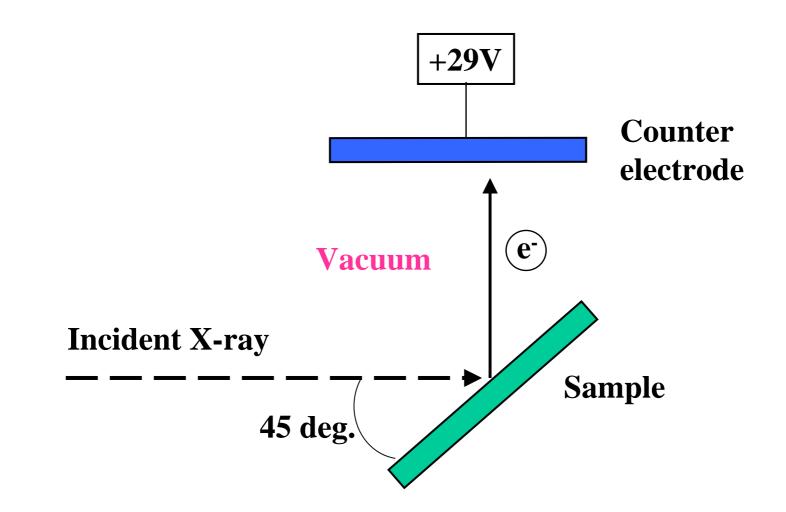
[Sample] PtPd films deposited on Si substrate (20nm ~ 467nm thick)

[Experiment] Measuring edge jump of Pt L<sub>III</sub> by conversion electron yield (CEY), total electron yield (TEY) and fluorescent yield (FY) methods. The information depths were derived using relationship between film thickness and edge jump value.

#### **Experimental Arrangement (CEY)**

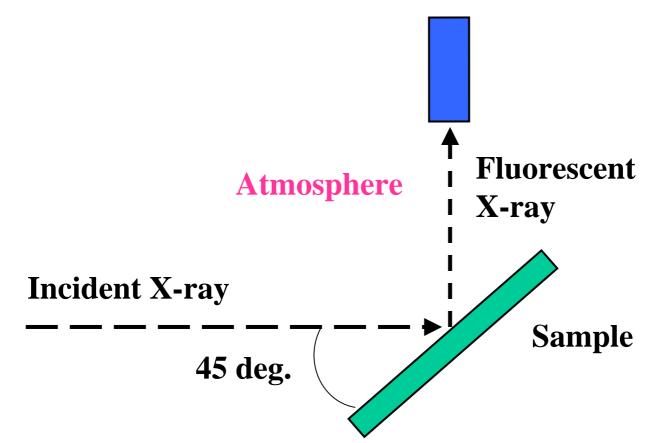


#### **Experimental Arrangement (TEY)**

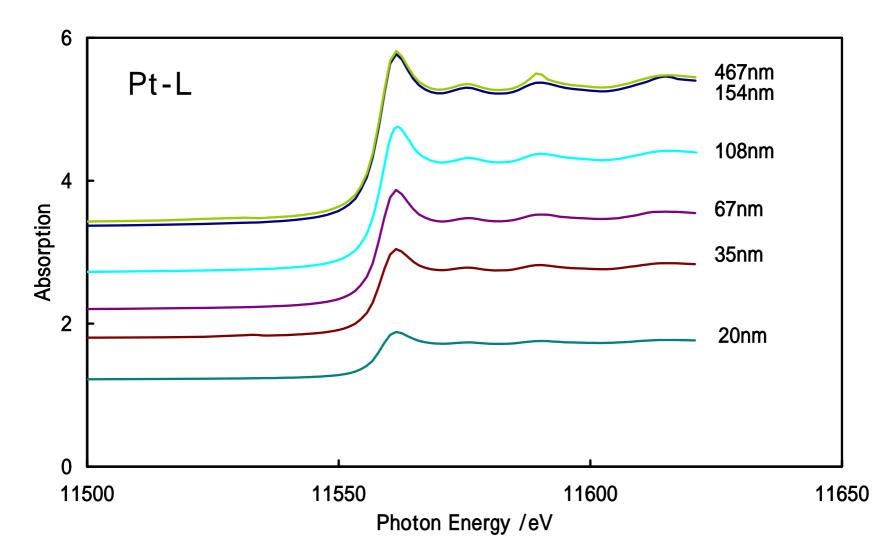


#### **Experimental Arrangement (FY)**

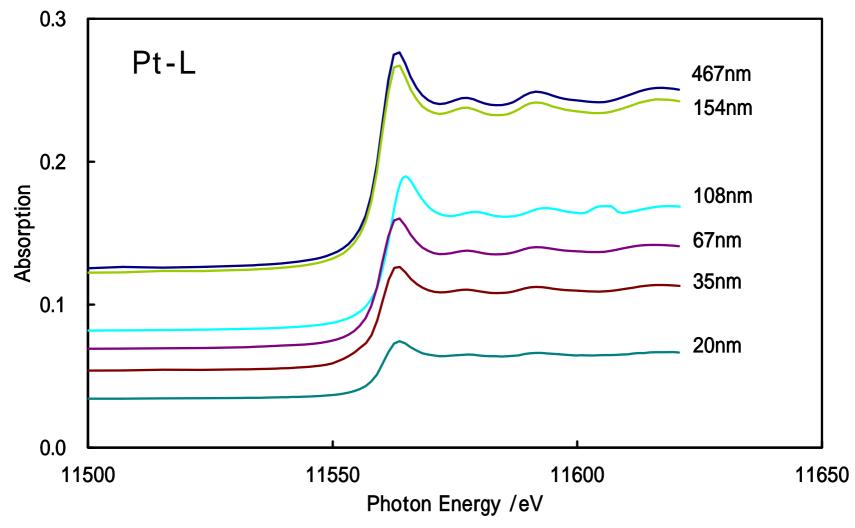
**Silicon Drift Detector (SDD)** 



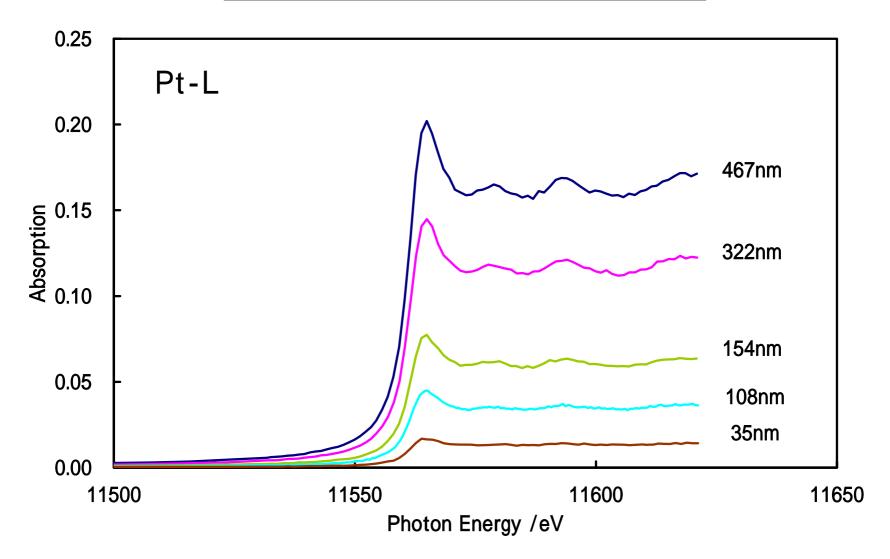
#### **XANES Spectra (CEY)**



## **XANES Spectra (TEY)**



**XANES Spectra (FY)** 



### **Estimation of Information Depth (1)**

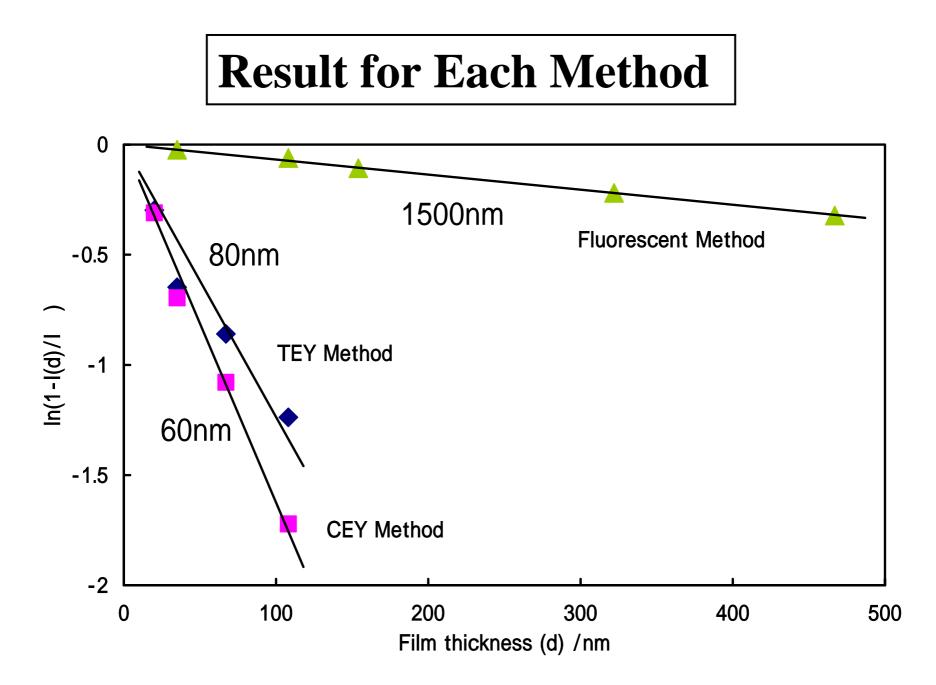
#### (Attenuation of incident X-ray was ignored.)

 $\phi(z) = c \exp(-z/\lambda)$   $\phi(z)$  : Emission Depth Distribution Function  $\lambda$  : Escape Depth

$$\frac{I_x}{I_\infty} = \frac{\int_0^x \phi(z) dz}{\int_0^\infty \phi(z) dz} = 1 - \exp(-\frac{x}{\lambda})$$

- $I_{\infty}$ : Measured value of 467nm sample for CEY and TEY.
  - : That of Pt foil for FY.

The edge jump value is 1-1/e of *I* when the thickness (*d*) is equal to  $\lambda$ .



#### **Estimation of Information Depth (2)**

(Attenuation of incident X-ray was taken into account.)

$$\phi(z) = c \exp(-z / \lambda) \exp(-\mu z)$$

$$\frac{I_x}{I_\infty} = 1 - \exp(-\mu - \frac{1}{\lambda}) x$$

$$\boxed{\text{CEY}} \quad \frac{I_x}{I_{\infty}} = 1 - \exp(-\frac{\mu_i}{\cos\theta_1} - \frac{1}{\lambda}) x$$

$$\boxed{\text{TEY}} \quad \frac{I_x}{I_{\infty}} = 1 - \exp(-\frac{\mu_i}{\cos\theta_1} - \frac{1}{\lambda\cos\theta_2}) x$$

$$\boxed{\text{FY}} \quad \frac{I_x}{I_{\infty}} = 1 - \exp(-\frac{\mu_i}{\cos\theta_1} - \frac{\mu_c}{\cos\theta_2}) x$$

 $\theta_1$  Angle between incident Xray and the sample normal

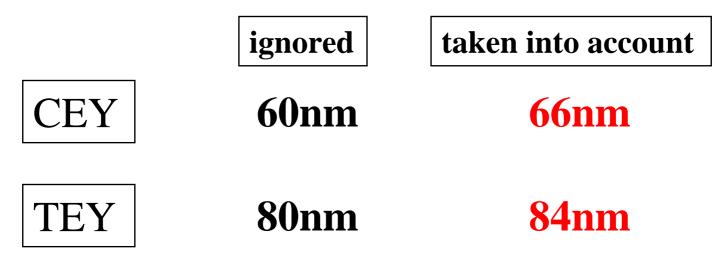
 $\theta_2 \,\, {{
m Angle between the detector}\over{
m and the sample normal}}$ 

μi Attenuation coefficient for incident X-ray

 $\mu_c$  Attenuation coefficient for fluorescent X-ray

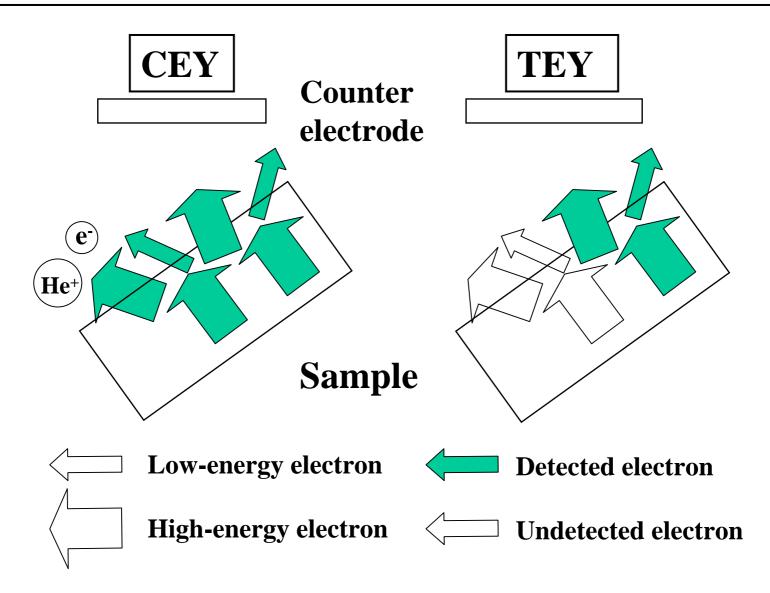
## **Calculation Results**

Attenuation of incident X-ray was



#### The difference is not so remarkable.

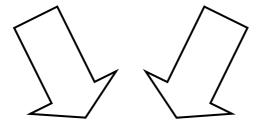
# Why the information depth of TEY is larger than that of CEY?



Low-energy electrons are generated by scattering of high-energy electrons (Pt LMM etc.) that are emitted from the deep region.

**CEY** is more sensitive for high-energy electrons than low energy electrons, because electrode are detected in the number of ionized He atoms increases with the kinetic energy of electrons.

**High-energy electrons only** emitted toward counter TEY.



Average kinetic energy detected by TEY is lower than that detected by CEY.

The information depth of TEY is larger than that of CEY.

## Conclusions

At the energy range around Pt  $\mathbf{L}_{\text{III}}\text{-edge}$ 

- **1. Information depth of the electron yield methods are in the range of several tens nm.**
- 2. Information depth is not significantly influenced by attenuation of incident X-ray.
- **3. Information depth of CEY is deeper than that of TEY.**